Priority driven Local Optimization for Crowd Simulation

Extended Abstract

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ABSTRACT

We provide an initial model and preliminary findings of a lookahead based local optimization scheme for collision resolution between agents in large goal-directed crowd simulations. Considering crowd simulation to be a global optimization problem, we break down this large problem into smaller problems where each potential collision resolution step is independently optimized in terms of a *criticality* measure. Agents resolved earlier in order of criticality, maintain the optimized velocity obtained, for the resolution of agents that come later in that order. Hence, the problem is converted to a low dimensional optimization problem of one or two agents where all other obstacles are static or deterministically dynamic. We illustrate the performance of our method on four well known test scenarios.

KEYWORDS

agent-based crowd navigation; collision avoidance; optimization

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1 INTRODUCTION AND RELATED WORK

Two main categories in Crowd Simulation techniques exist - the Macroscopic and the Microscopic [12]. Several approaches have been proposed to simulate crowds in both the macroscopic and microscopic categories [17]. The macroscopic methods [3, 4, 8, 13] simulate crowds as continuum dynamics, often in large crowded cases, ignoring individual behaviors and interactions. The microscopic methods or agent-based methods [2, 15, 19], focus on behaviors and interactions of each individual from a local agent-centric standpoint.

Two of the earliest agent-based models due to Boids [11] and Helbing et al. [2] were based on physical forces between agents. These methods however, suffered from a lack of anticipatory actions ahead of likely collisions. Anticipatory algorithms using a time to collision (ttc) strategy [5, 6] and ones involving a minimal predicted distance [9, 10] have been seen thereafter. Other velocity based algorithms [14, 15] select collision-free velocities based on a cost function on the velocity space of all agents. Recently, learning based approaches have also gained popularity with human trajectory prediction being done using Long Short Term Memory networks [1, 16] and improvements to them using perception models [18] have also been proposed.

Our method is an agent-based goal-directed method where the objective is for all agents to reach their desired targets while at the same time avoiding collisions with static (walls) or dynamic (other agents) obstacles. This problem can be viewed as a global optimization problem, where the entire configuration of agents supposedly affects the individual decisions for each agent. However, from observations in the real world we know that this is not the case. In most cases, small groups of agents collaboratively resolve close to imminent collisions between them. Our method adopts such a collaborative effort between small groups of agents and transforms the global problem into a local one. We introduce the notion of criticality - the notion that defines whether two agents would come dangerously close to each other. We use a Particle Swarm Optimization[7] strategy to resolve one or two critical agents at a time and keep resolving these small local batches until all agents are resolved.

2 METHOD

2.1 Criticality

Two agents A_1 and A_2 are said to be critical if their positions and velocities maintain the following relations

$$\hat{\ell}_{ij} = |\mathbf{x}_1 - \mathbf{x}_2| \sqrt{1 - \left(\frac{(\mathbf{x}_1 - \mathbf{x}_2) \cdot (\mathbf{v}_1 - \mathbf{v}_2)}{|\mathbf{x}_1 - \mathbf{x}_2||\mathbf{v}_1 - \mathbf{v}_2|}\right)^2} \le d_c \qquad (1)$$

$$\hat{t}_{ij} = -\frac{(\mathbf{x}_1 - \mathbf{x}_2) \cdot (\mathbf{v}_1 - \mathbf{v}_2)}{|\mathbf{v}_1 - \mathbf{v}_2|^2} \ge 0$$
(2)

where \mathbf{x}_i and \mathbf{v}_i denote the position and velocity of agent A_i and d_c denotes the critical distance - the comfortable distance that agents like to maintain within them. In our experiments we set $d_c = 3r_A$ where r_A is the agent radius or agent size. Equation 1 states that the minimum approachable distance $\hat{\ell}_{ij}$ between two agents must never be greater than the critical distance and is hence referred to as the *critical distance condition*. Equation 2 states that the time to reach the minimum approachable distance \hat{t}_{ij} must be non negative (i.e., must happen in the future), and hence is referred to as the *critical time condition*. These conditions are derived considering agents as circular disc shaped objects. Similar conditions are derived for agent-wall collisions as well by treating walls as line-segments.

2.2 Criticality Resolution

We use Particle Swarm Optimization (PSO) to resolve critical agents by altering their velocities by applying a combination of a rotational transformation (turn) and a reverse acceleration (brake). To denote

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these two values we use a_{\downarrow} for the braking strength and a_{\leftrightarrow} for the rotating strength. We call $(a_{\downarrow}, a_{\leftrightarrow})$ as an alteration strength pair. With $\theta = \pi a_{\perp}/2$ and $\phi = \pi a_{\leftrightarrow}/2$, the velocities are modified as

$$\mathbf{v}_{i,t} = (1 + \sin\theta) \begin{bmatrix} \cos\phi & -\sin\phi \\ \sin\phi & \cos\phi \end{bmatrix} \mathbf{v}_{i,t-1}$$
(3)

When agents are not critical, they automatically 'relax' to their desired speed s_d aligned to their respective targets T_i as

$$\mathbf{v}_{i,t} = \lambda \mathbf{v}_{i,t-1} + (1-\lambda)s_d \frac{(\mathbf{T}_i - \mathbf{x}_{i,t})}{||\mathbf{T}_i - \mathbf{x}_{i,t}||}$$
(4)

where $\lambda \in [0, 1]$ is a velocity relaxation parameter.

2.3 Configuration Score

A particular configuration of agents is scored higher if fewer agents are critical and vice-versa. It is computed using a lookahead parameter τ which simulates the crowd τ time-steps into the future and relaxing velocities for every time-step using Equation 4. The configuration score for a pair of agents A_i and A_j is given as

$$s_{c,ij} = \begin{cases} 1, & \text{if } \hat{t} < 0 \lor \hat{\ell}_{ij} \ge d_{cri} \\ -\frac{k}{(\hat{\ell}_{ij} + \epsilon)(\hat{t} + 1)}, & \text{otherwise} \end{cases}$$

Here the constants are chosen to be k = 100 and $\epsilon = 10^{-4}$. A higher value of k is to ensure that critical agents are heavily penalized. A small value of epsilon is necessary to prevent division by zero cases.

The net configuration score is the sum of scores for all agentagent and agent-wall configuration pairs as well as an energy term which penalizes high values of a_{\leftrightarrow} and a_{\perp} .

2.4 Algorithm

Our algorithm works on an initial configuration of agents and walls and iterates for as many time-steps as required for all agents to reach their targets. A computation of a single time-step can be formulated as follows

- Define a configuration as a set of agents and walls as C = (A, W).
- (2) Initialize a list of processed agents \$\mathcal{P}\$ = \$\mathcal{O}\$, a list of to be resolved agents \$\mathcal{R}\$ = \$\mathcal{O}\$ and a best particle vector \$\mathcal{H}_{best}\$ initialized with zero alteration strength pairs.
- (3) Find the agent-agent pair (A_i, A_j) where A_i ∉ P which is the most critical in the current configuration C i.e., has the minimum t̂. If A_j ∉ P, update R ← R ∪ {A_i, A_j}, otherwise update R ← R ∪ {A_i}. It is also possible that an agent-wall pair (A_i, W) has the lowest t̂. In that case, update R ← R ∪ {A_i}. If no critical agents are found, go to Step (6) and perform a move.
- (4) Run the PSO algorithm on the subset *R* of critical agents that need to be resolved. The particle vector dimension is 2|*R*|, for two alteration pairs per critical agent A_i ∈ *R*. Since it is guaranteed that |*R*| ≤ 2 the optimization remains lowdimensional. We obtain *H_{curr}* after convergence.
- (5) Assign the corresponding entries for *H_{best,i}* := *H_{curr,i}∀A_i* ∈ *R*. Update *P* ← *P* ∪ *R* and set *R* = Ø. Repeat Step (3) until all agents are processed.

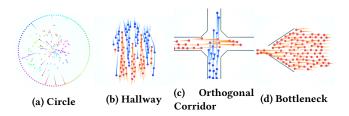


Figure 1: Illustration of the four test scenarios and a snapshot of the simulation at a random time-step.

(6) Make a move by altering the current velocities using the alteration strengths in *H*_{best}. Repeat Step (1) for the next time-step, and continue until all agents reach their targets.

3 RESULTS AND EVALUATIONS

We tested our method on four test scenarios that exemplify several important features necessary for a successful crowd navigation. We consider a look-ahead value of $\tau = 10$ which we found to be optimal for all of our scenarios. We choose $r_A = 0.25m$ and $s_d = 0.2m/s$ in all our experiments.

The results are shown in Figure 1. In the circle scenario, agents are placed equidistant from each other on the periphery of a circle with their corresponding targets located on diametrically opposite points. Agents in our method exhibit conscientious behaviour, in that they anticipate impending collisions way before they occur. In the hallway scenario, two large groups of agents approach each other from opposite ends in a large hallway. The formation of lanes is a prerequisite for efficient collision free navigation in this scenario and they are clearly seen in our method. The orthogonal corridor scenario involves two sets of agents walking on two orthogonal hallways from one side to the other. The emergence of 45° lanes is a known emergent behaviour in this scenario necessary for efficient navigation. Such lanes are clearly seen in our simulation as well. The bottleneck scenario requires a set of agents to pass through a narrow bottleneck on the way to their targets. Here as well, agents in our method exhibit anticipatory behaviour towards future congestion and modify their velocities to enable all agents to comfortably maneuver through the bottleneck.

4 DISCUSSION AND LIMITATIONS

We introduced the concept of *criticality* and using this concept we presented an efficient crowd navigation strategy. However, our method is not real-time beyond ~ 100 agents and the many small optimizations that it has to perform at each time-step is the key reason for this slow performance. We hope to find a balance between the dimensionality of our local optimization (number of agents to resolve together) and the number of such optimizations in total. We think this balance is key to scaling our method to deal with even larger crowds.

We also hope to evaluate our method with state-of-the-art methods that have been proposed in the recent past and report quantitative scores on important features of a crowd simulation such as anticipation of congestion, orientation to targets and distances maintained with other agents and obstacles.

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