

Interface Abstraction for Compositional Verification

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Overview

1. (A Rather Lengthy) Motivation
2. Interface Behaviour
3. The Inlining Transformation
4. A Compositional Verification Method
5. Conclusions

Smart Cards and Security

Smart cards

- store **privacy-sensitive data**
- require strong guarantees of security: **formal verification**

Multiple interacting applets (e.g. JavaCard applets)

- communication via **method invocation** over shared interfaces
- example: electronic purse applet and several loyalties

Post-issuance loading

- ability to **load new applets** after the card has been issued to the user
- requires **compositional verification**

Compositional Verification

Compositional Verification Principle

$$\frac{\vDash A : \psi \quad X : \psi \vDash X \otimes B : \phi}{\vDash A \otimes B : \phi}$$

premises: **local property of A** and **correctness of decomposition**

Scenarios for secure post-issuance loading

1. **card issuer** specifies ϕ and ψ and checks **property decomposition**;
pre-load check of $\vDash A : \psi$
2. **card issuer** provides only ϕ , **applet provider** specifies ψ ;
pre-load check of $\vDash A : \psi$ and **property decomposition**

Maximal Models

In certain setups:

- property preserving simulation preorder
- for any formula ψ , the set of models for ψ has a maximal element $Max(\psi)$ wrt. the preorder: maximal model
- simulation preorder preserved by composition \otimes

Maximal Model Principle [Grumberg & Long '94]

$$\frac{\models Max(\psi) \otimes B : \phi}{X : \psi \models X \otimes B : \phi}$$

Compositional Verification Principle

$$\frac{\vDash A : \psi \quad \vDash Max(\psi) \otimes B : \phi}{\vDash A \otimes B : \phi}$$

Previous Work

Theory [Sprenger, Huisman, Gurov: MEMOCODE'04]

- formal framework
- maximal model construction

Case Study [Huisman, Gurov, Sprenger, Chugunov: FASE'04]

- electronic purse with loyalty programmes
- by smart card provider Gemplus
- verified absence of illicit applet interactions

Models, Simulation and Logic

Applets unified treatment of structure and behaviour, control-flow based

Model Labelled transition system + Valuation

Simulation Preorder \leq standard

Simulation Logic modal logic with box modalities and gfp recursion:

$$\phi ::= p \mid \neg p \mid X \mid \phi_1 \wedge \phi_2 \mid \phi_1 \vee \phi_2 \mid [a] \phi \mid \nu X.\phi$$

Maximal Models $Max(\psi)$

- exist
- exponential construction, lazy

Applet Structure

Applet \mathcal{A}

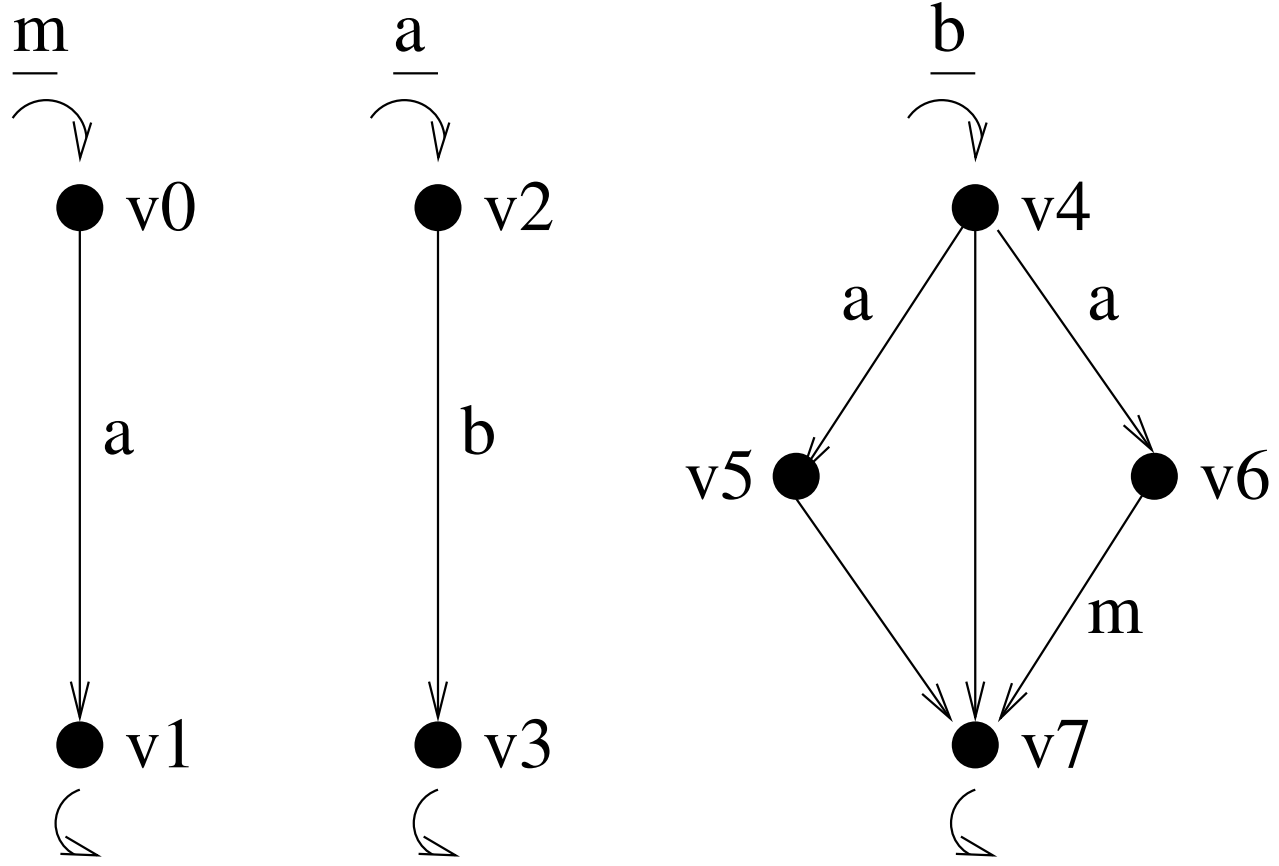
- control-flow graph represented as model
- applet composition \oplus
- structural simulation and properties

Maximal Model for property ψ is not necessarily a legal applet structure!

- interface $I = (I^+, I^-)$ of provided and required methods
- formula ϕ_I axiomatizing applets with interface I

Maximal Applet $Max_I(\psi)$

- is the maximal model $Max(\phi_I \wedge \psi)$



Applet Behaviour

- Applet structure \mathcal{A} induces applet behaviour $b(\mathcal{A})$
 - **configurations**: pairs (v, σ) of control point and call stack
 - **labels**: $\varepsilon, m_1 \text{ call } m_2, m_2 \text{ ret } m_1$
 - **transitions**: standard, induced in a context-free manner
- Behavioural simulation and properties
 - applet interaction properties
- Applet behaviour is not axiomatizable within the logic...
...but at least structural simulation implies behavioural simulation!

Operational Semantics

$$\text{(call)} \quad \frac{m_1, m_2 \in I^+ \quad v_1 \xrightarrow{m_2}_{m_1} v'_1 \quad v_2 \models m_2 \wedge e}{(v_1, \sigma) \xrightarrow{m_1 \text{ call } m_2} (v_2, v'_1 \cdot \sigma)}$$

$$\text{(return)} \quad \frac{m_1, m_2 \in I^+ \quad v_2 \models m_2 \wedge r \quad v_1 \models m_1}{(v_2, v_1 \cdot \sigma) \xrightarrow{m_2 \text{ ret } m_1} (v_1, \sigma)}$$

$$\text{(transfer)} \quad \frac{m \in I^+ \quad v \rightarrow_m v'}{(v, \sigma) \xrightarrow{\varepsilon} (v', \sigma)}$$

Verification Method

Compositional Verification Principle

$$\frac{\mathcal{A} \models_s \sigma \quad \text{Max}_{I_{\mathcal{A}}}(\sigma) \uplus \mathcal{B} \models_b \psi}{\mathcal{A} \uplus \mathcal{B} \models_b \psi} \quad \mathcal{A} : I_{\mathcal{A}}$$

1. a) Specify global property ψ as a **behavioural** property
b) For applet \mathcal{A} , specify local property σ as a **structural** property
2. Verify the correctness of the property decomposition:
 - a) compute maximal applet $\text{Max}_{I_{\mathcal{A}}}(\sigma)$
 - b) model check $\text{Max}_{I_{\mathcal{A}}}(\sigma) \uplus \mathcal{B} \models_b \psi$
3. When implementation of \mathcal{A} available, verify $\mathcal{A} \models_s \sigma$

Main Shortcomings

1. Requires knowledge of the complete interface, but in a truly compositional setting we can only assume knowledge of the names of the **public** methods
2. Interfaces are significantly larger than public ones, which is critical for the applicability of the (exponential) maximal model construction

Present Paper

Public and Private Methods M a set of public methods

Transformation transforms applet \mathcal{A} with interface (I^+, I^-) into a simulating applet $\alpha_M(\mathcal{A})$ with interface $(M, I^- - (I^+ - M))$

Modified CVP

$$\frac{\alpha_M(\mathcal{A}) \models_s \sigma \quad \text{Max}_{I_{\alpha_M(\mathcal{A})}}(\sigma) \uplus \mathcal{B} \models_b \psi}{\mathcal{A} \uplus \mathcal{B} \models_b^{M \cup I_{\mathcal{B}}^+} \psi}$$

- **simulation**: w.r.t. public behaviour, or **interface behaviour**
- **transformation**: **inlining** of private methods

2. Interface Behaviour

An abstraction on applet behaviour wrt. $M \subseteq I_{\mathcal{A}}^+$

- keep configurations unchanged
- relabel configurations
 - current control is in the top–most public method of $v \cdot \sigma$
- relabel transitions accordingly
 - configuration–dependent relabelling
- denoted $b^M(\mathcal{A})$

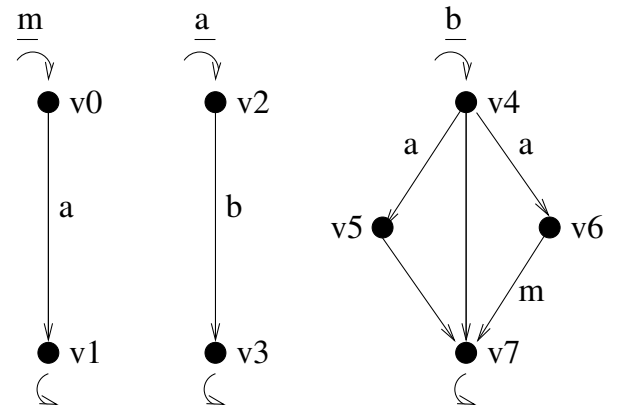
3. The Inlining Transformation

Inlining replace method call by method body

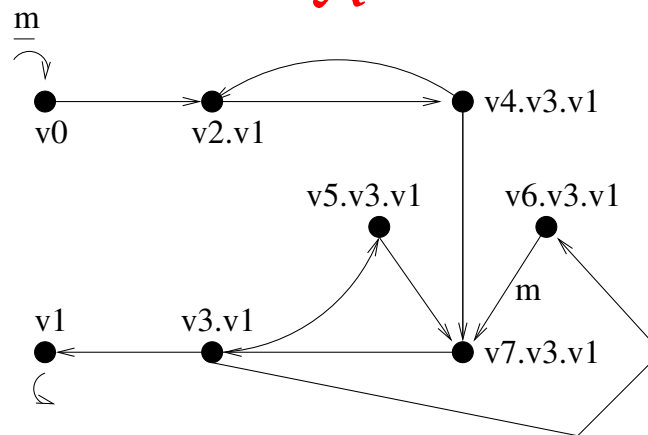
- need to: guarantee termination, prove simulation

Transformation For each (public) method $m \in M$

- execute m so that:
 - label local calls and returns by ε
 - treat calls to public methods as local transfer, but keep label
 - replace recursion by iteration
- result denoted $\alpha_M(\mathcal{A})$



A



$\alpha_M(A)$

- introduces more interface behaviour!

Simulation Results

Theorem Let $\mathcal{A} : I$ and $M \subseteq I^+$.

Then $b^M(\mathcal{A}) \leq b(\alpha_M(\mathcal{A})) = b^M(\alpha_M(\mathcal{A}))$.

Last-call recursion call edges are followed by transfer edges only

Theorem Let $\mathcal{A} : I$ be last-call recursive, and $M \subseteq I^+$.

Then $b^M(\mathcal{A}) \equiv_w b(\alpha_M(\mathcal{A})) = b^M(\alpha_M(\mathcal{A}))$.

4. A Compositional Verification Method

Modified CVP

$$\frac{\alpha_M(\mathcal{A}) \models_s \sigma \quad \text{Max}_{I_{\alpha_M(\mathcal{A})}}(\sigma) \uplus \mathcal{B} \models_b \psi}{\mathcal{A} \uplus \mathcal{B} \models_b^{M \cup I_{\mathcal{B}}^+} \psi}$$

1. a) Specify global property ψ as an **interface behavioural** property
b) For applet \mathcal{A} , specify local property σ as a **structural** property of $\alpha_M(\mathcal{A})$
2. Verify the correctness of the property decomposition:
 - a) compute maximal applet $\text{Max}_{I_{\alpha_M(\mathcal{A})}}(\sigma)$
 - b) model check $\text{Max}_{I_{\alpha_M(\mathcal{A})}}(\sigma) \uplus \mathcal{B} \models_b \psi$
3. When implementation of \mathcal{A} available:
 - a) compute $\alpha_M(\mathcal{A})$
 - b) verify $\alpha_M(\mathcal{A}) \models_s \sigma$

Practical Impact of Inlining

- Knowledge of public interfaces suffices for applying the verification method
- Reconsider the case study from [Huisman, Gurov, Sprenger, Chugunov: FASE'04]

	$Max(\sigma_L)$	in [HGSC'04]	$Max(\sigma_P)$	in [HGSC'04]
#nodes	8	474	8	2786
#edges	120	277 700	88	603 128
constr. time	0.05 s.	25 min.	0.05 s.	13 hrs.

- Some natural structural properties are only expressible as properties of the inlined applet

5. Conclusions

We presented

- Notion of **interface behaviour**
- **Inlining transformation** which
 - reduces applet interfaces to public interfaces
 - extends/preserves interface behaviour
 - supports compositional verification

Future work

- multi-threaded applets

New Slide

- blah